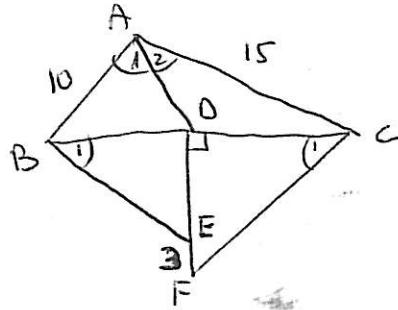


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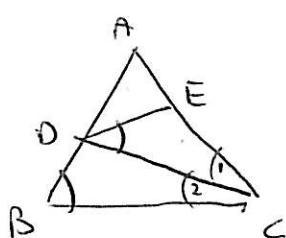
$$(\text{נwg בm A.D}) \quad \frac{AB}{AC} = \frac{BD}{DC} = \frac{10}{15}$$

(S.S) $\triangle BDE \sim \triangle CDF$

$$\frac{10}{15} = \frac{BD}{DC} = \frac{DE}{FE}$$

$$\frac{10}{15} = \frac{DE}{DE+3} \Rightarrow 10DE + 30 = 15DE \\ DE = 6$$

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$$\begin{cases} (\text{W.W}) \quad Kc_1 = Kc_2 \\ (\text{W.W}) \quad KEDC = KB \end{cases} \Rightarrow \triangle DBC \sim \triangle EDC \quad (\text{S.S})$$

$$(\triangle ABC) \quad 180 = KA + KB + 2Kc_1 \\ KA = 180 - KB - 2Kc_1$$

$$(\triangle ADE) \quad 180 = KADE + KA + KAE$$

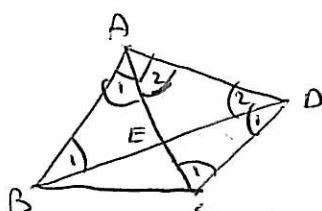
$$(\triangle DEC - \text{נwg בm}) \quad KAE = KEDC + Kc_1 = KB + Kc_1 \\ KEDC = KB$$

$$180 = KADE + 180 - KB - 2Kc_1 + KB + Kc_1$$

$$KADE = Kc_1$$

$\begin{matrix} \text{W.W.} \\ \text{W.W.} \end{matrix}$ (S.S) $\triangle ADE \sim \triangle ADC$

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$$(\text{W.W}) \quad KA_1 = 60 \rightarrow KA_2 = 30$$

$$(\text{W.W. W.W.}) \quad KB_1 = KD_2 = 45$$

$$(\text{W.W}) \quad AB = AC = AD \Rightarrow \triangle ACD$$

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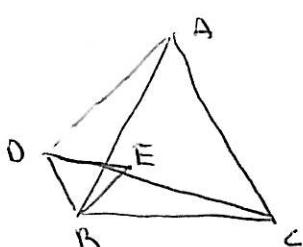
$$KD = KC_1 = \frac{180 - KA_2}{2}$$

$$\triangle ACD \sim \triangle ECD \Leftrightarrow \begin{matrix} \text{W.W.} \\ \text{W.W.} \end{matrix} \quad \begin{matrix} KA_1 = KC_1 \\ KA_2 = KD_1 \end{matrix} \Leftrightarrow \begin{matrix} KD = KC_1 = 75 \\ KD_1 = 75 - KC_2 = 30 \end{matrix}$$

(W.W.)

$$\frac{AD}{CD} = \frac{CD}{EC} \Rightarrow \frac{a}{c} = \frac{c}{b} \rightarrow CD = \sqrt{ab}$$

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$$(\text{W.W}) \quad AB = BC$$

$$(\text{W.W}) \quad BD = BE$$

$$\begin{cases} KEB = KABC - KABE = 60 - KABE \\ KDBA = KDBE - KABE = 60 - KABE \end{cases}$$

$\left\{ \begin{matrix} (\text{W.W.}) \triangle BEC \cong \triangle BDA \\ \triangle BEC \cong \triangle BDA \end{matrix} \right.$

$$KBDA = KBE = 180 - KBED = 180 - 60 = 120$$

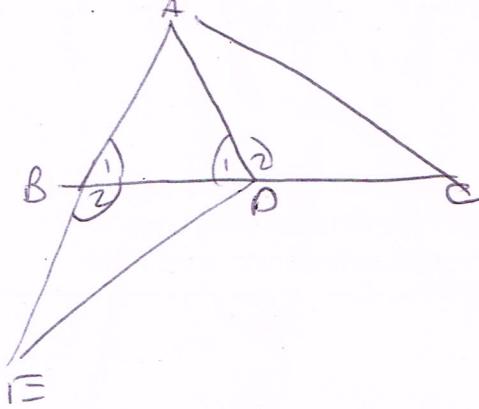
$$KADC = KBDA - KBDE = 120 - 60 = 60$$

$$KBED = 60 = KADC \Rightarrow DA \parallel BE \quad (\text{לפניהם נwg})$$

<http://heshbonia.com/> כל הזכויות שמורות ל

$$\begin{matrix} \text{נwg plans} \quad \text{נwg} \Leftrightarrow \\ \text{פונט} \quad \text{א.כ.ב.ו} \end{matrix} \quad Kc = 120 + 60 = 180$$

27
(290)



$$\angle DAC = \angle BAD = \alpha \quad (\text{PA}) \quad \checkmark$$

$$\angle B_1 = \angle P_1 = \frac{180 - \alpha}{2} = 90 - \frac{\alpha}{2}$$

$$\angle D_2 = 180 - \angle P_1 = 90 + \frac{\alpha}{2}$$

$$\Rightarrow \angle C = 180 - \angle D_2 - \angle DAC = 90 - \frac{1}{2}\alpha$$

$$AD = DE \quad (\text{PA})$$

$$\angle E = \angle BAD = \alpha$$

$$\angle B_2 = 180 - \angle B_1 = 90 + \frac{\alpha}{2}$$

↓

(S,S) $\triangle BDE \sim \triangle ADC$

∴ $\frac{BD}{AD} = \frac{DE}{DC}$ $\frac{BD}{AD} = \frac{DE}{DC}$ $\frac{BD}{AD} = \frac{DE}{DC}$

∴

$$\frac{AC}{ED} = \frac{AD}{BD}$$

$$\frac{9}{6} = \frac{6}{BD} \rightarrow BD = 4$$

: $\triangle ABC$ is an isosceles triangle

$$\frac{AB}{AC} = \frac{BD}{DC}$$

$$\frac{6}{9} = \frac{4}{DC} \rightarrow DC = 6$$

∴ $\triangle ABC$ is an isosceles triangle

$$\frac{AC}{ED} = \frac{DC}{BE}$$

$$\frac{9}{6} = \frac{6}{BE} \rightarrow BE = 4$$

$$AE = AB + BE = 6 + 4 = 10$$